

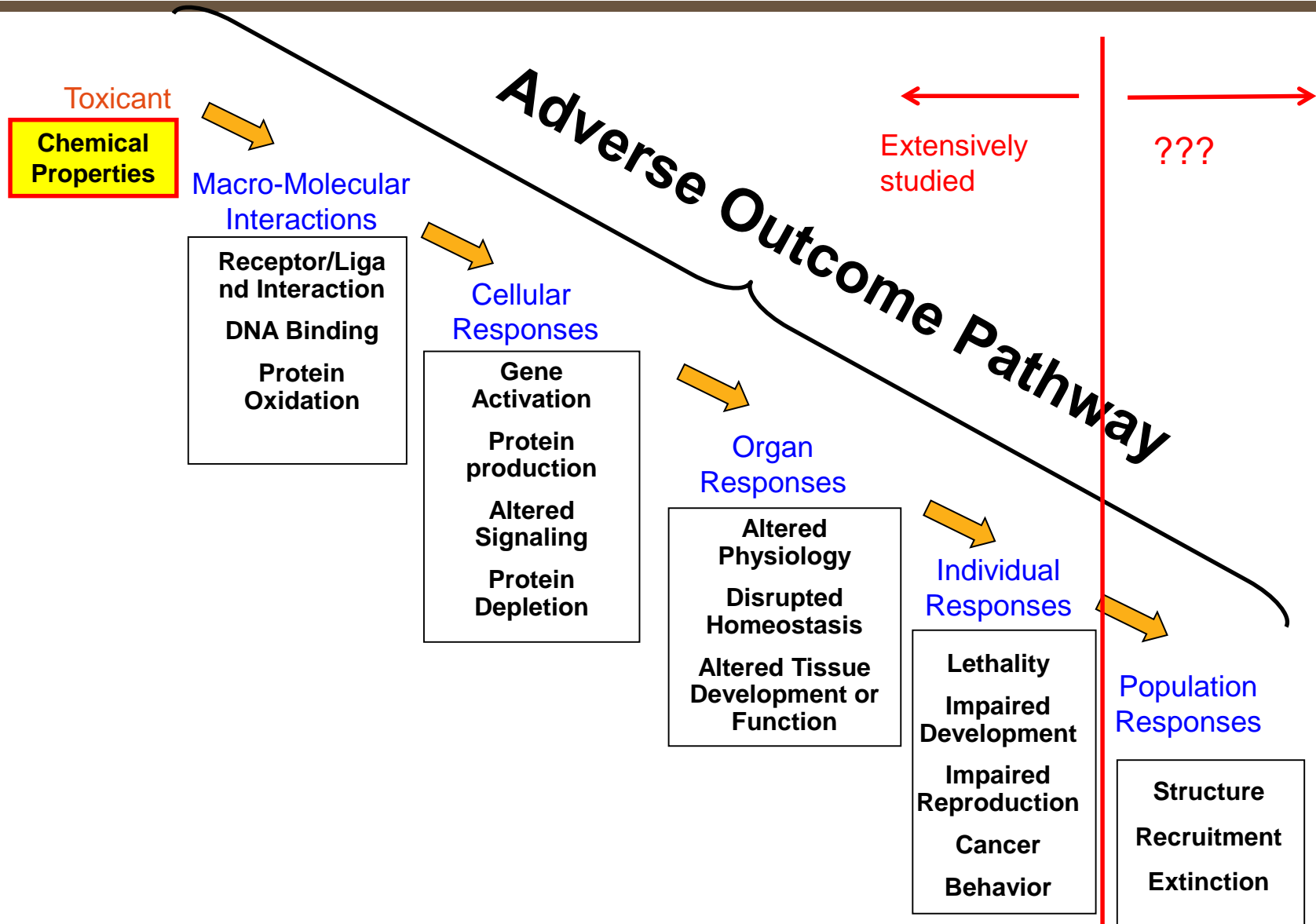
Assessing the impacts of endocrine disrupting compounds (EDCs) on fish population dynamics: a case study of smallmouth bass in Chesapeake Bay

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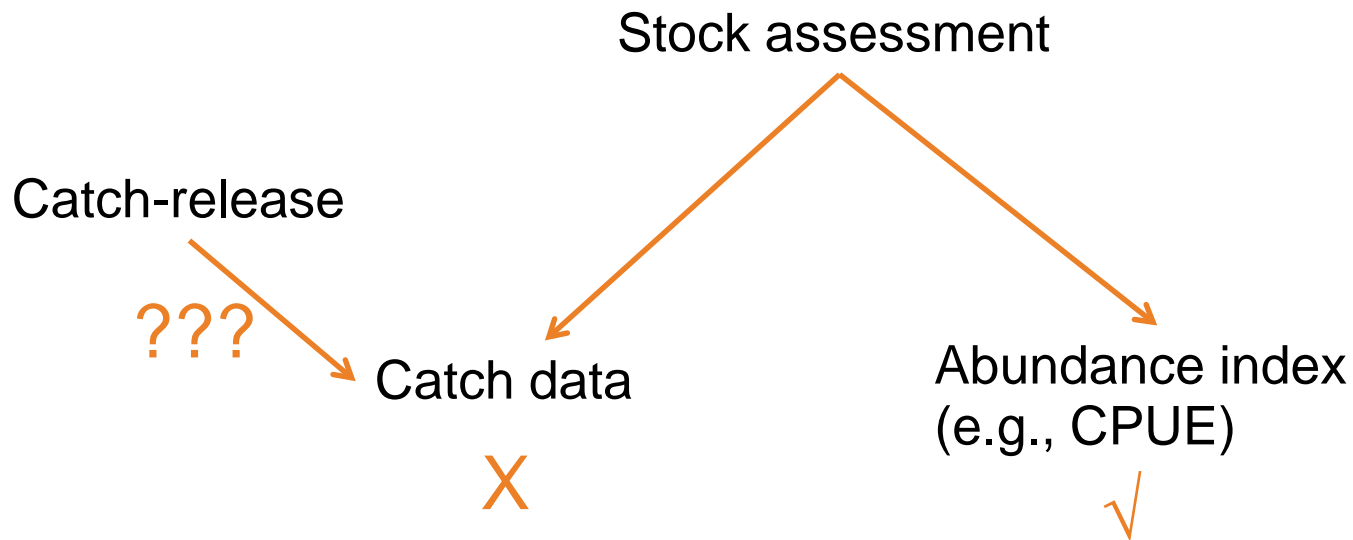
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EDC:



Challenges for EDC risk assessment at population level



- Integrated analysis
 - Growth data
 - Length/age composition
 - Recruitment
 - ...

Smallmouth bass (*Micropterus dolomieu*)

- Life history traits
 - Inhabit freshwater lakes and rivers throughout North America
 - Survival and spawning sensitive to environmental stresses
- Important freshwater recreational fisheries but no catch data
- EDC impacts on smallmouth bass
 - Intersex: feminization of male fish (Blazer et al. 2007)
 - Disease outbreak in 2005 → large die-off of young fish → adult abundance decline

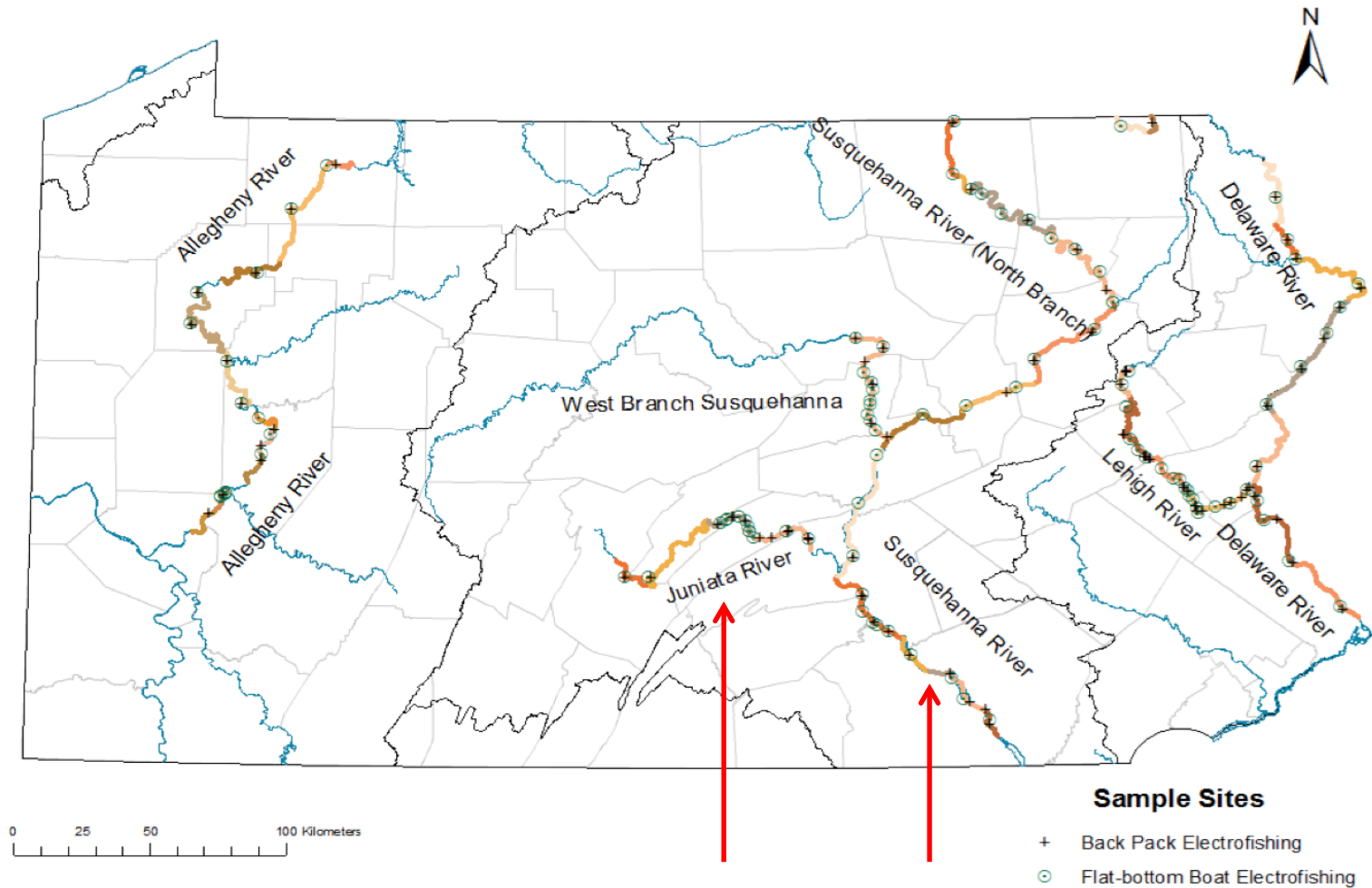


Objectives

Using smallmouth bass as a case study:

- Develop an integrated analysis to estimate growth, natural mortality and recruitment in the catch-at-length analysis framework
- Explore the **spatial** and **temporal** variation in growth and mortalities
- Explore the hypothetical EDC impacts on fish population through a simulation
- Provide a **modeling framework** for **population-level** EDC risk assessment for Chesapeake Bay watershed

Study sites: 7 rivers in PA



Provided by Robert Lorantas
Pennsylvania Fish and Boat Commission

Data

- Provided by the Pennsylvania Fish and Boat Commission
 - Length-age data, 1980-2012
 - Catch-per-unit-effort (CPUE) data, 1990-2013
 - Young-of-year (age 0) CPUE data, 1987-2010



Modeling framework

Growth analysis

$$L_{i,j} = \left(L_{\infty,j} \left(1 - \exp(-K_j(t_{i,j} - t_{0,j})) \right) \right) \exp(\varepsilon_{L,i,j}); \varepsilon_{L,i,j} \sim N(0, \sigma_{L,j}^2) \iff \text{Fit length-age data}$$

$$\Delta L_{l,j} = (L_{\infty,j} - L_{l,j})(1 - \exp(-K_j))$$

$$P_{l,l',j} = \int_{l'_{low}}^{l'_{up}} f_{l,j}(x) dx$$

$$N_{l',y+1,j} = \left(\sum_l (P_{l,l',j} N_{l,y,j} \exp(-Z_{l,y,j})) + R_{l',y+1,j} \right) \exp(\varepsilon_{N,l',y+1,j}); \varepsilon_{N,l',y+1,j} \sim N(0, \sigma_{N,j}^2)$$

$$I_{l,y,j} = (q_{l,j} N_{l,y,j}) \exp(\varepsilon_{I,l,y,j}), \varepsilon_{I,l,y,j} \sim N(0, \sigma_{I,j}^2)$$



Fit length-based CPE data

Length-based analysis

- Size 1: 25 – 175 mm
young-of-year
- Size 2: 175.1 – 225 mm
- Size 3: 225.1 – 300 mm
mature
- Size 4: 300.1 – 375 mm
harvestable
- Size 5: 375.1 – 550 mm

$$SSN_{y,j} = \sum_l N_{l,y,j} g_l$$

$$R_{y,j} = (a_j \times SSN_{y,j} \exp(-b_j \times SSN_{y,j})) \exp(\varepsilon_{R,y,j}); \varepsilon_{R,y,j} \sim N(0, \sigma_{R,j}^2)$$

$$R_{l,y,j} = R_{y,j} P'_{l,j}$$

$$\text{Fit young-of-year CPE data} \iff I'_{y,j} = (q_j' R_{y,j}) \exp(\varepsilon_{I',y,j}); \varepsilon_{I',y,j} \sim 1$$

Bayesian estimator

- Posterior probability

$$\ln Pr(\theta | \text{Data}) \propto LL(\text{Data} | \theta) + \ln Pr(\theta)$$

Growth analysis

Length-based analysis

- Prior (θ) probability

$$L_{\infty, j}, K_j, t_{0, j}, \sigma_{L, j}$$

initial length-structured abundance $N_{l, y=l, j}$
mortalities $M_{YOY, j}$, $M_{JUV, j}$ and $Z_{ADU, j}$
spawner-recruitment parameters a_i and b_i
catchability coefficient $q_{L, i}$ and $q'_{L, i}$
standard deviation $\sigma_{N, j}$, $\sigma_{R, j}$, $\sigma_{L, j}$ and $\sigma_{I, j}$

- Data likelihood

$$LL(\text{Data} | \theta) = LL_i$$

$$LL(\text{Data} | \theta) = LL_N + LL_R + LL_I + LL_L$$

Modeling growth and mortalities: hierarchical priors

Growth analysis

- Constant

Spatial variation

$$\begin{bmatrix} \ln L_{\infty, j} \\ \ln K_j \end{bmatrix} \sim \text{MVN} \left(\begin{bmatrix} \ln \bar{L}_{\infty} \\ \ln \bar{K} \end{bmatrix}, \Sigma \right)$$

- Random walk

Temporal variation

Length-based analysis

$$M_{YOY, j} \sim \text{lognormal}(\bar{M}_{YOY}, \sigma_{MYOY}^2)$$

$$M_{JUV, j} \sim \text{lognormal}(\bar{M}_{JUV}, \sigma_{MJUV}^2)$$

$$Z_{ADU, j} \sim \text{lognormal}(\bar{Z}_{ADU}, \sigma_{ZADU}^2),$$

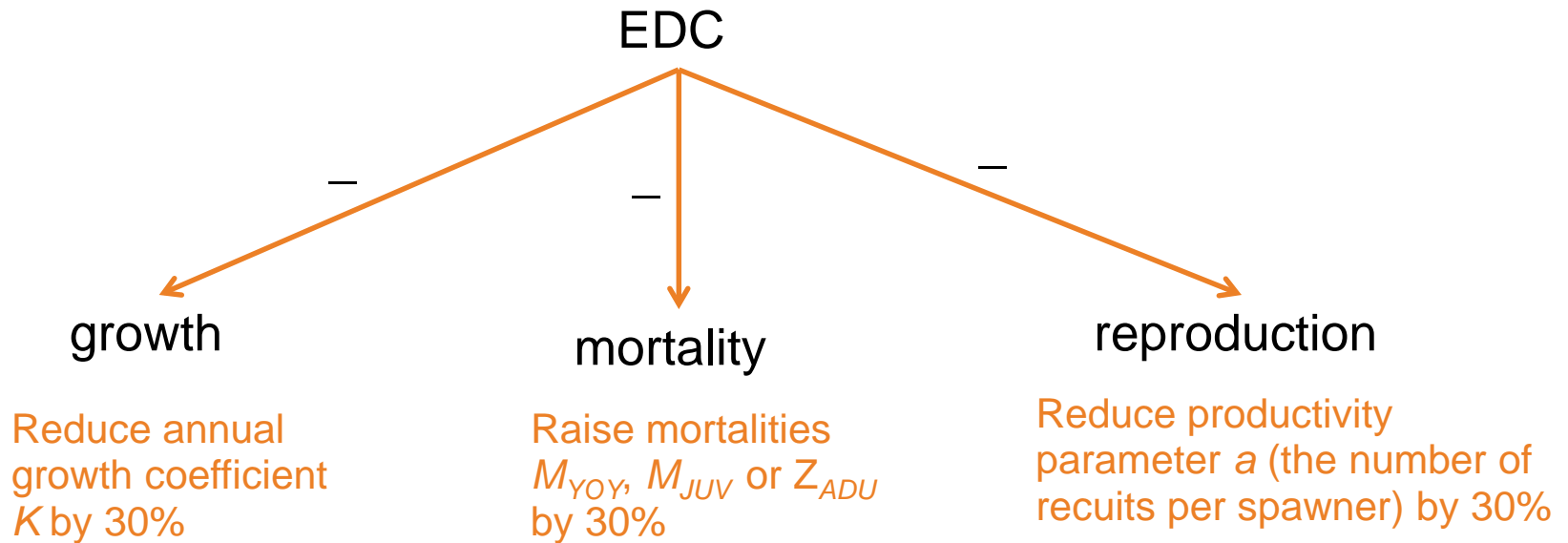
$$M_{YOY, y+1, j} \sim \text{lognormal}(M_{YOY, y, j}, \sigma_{MYOY}^{\prime 2})$$

$$M_{JUV, y+1, j} \sim \text{lognormal}(M_{JUV, y, j}, \sigma_{MJUV}^{\prime 2})$$

$$Z_{ADU, y+1, j} \sim \text{lognormal}(Z_{ADU, y, j}, \sigma_{ZADU}^{\prime 2})$$

$$M_{YOY, y-1, j} \sim \text{lognormal}(\bar{M}_{YOY}, \sigma_{MYOY}^2)$$

Simulation on EDC impacts

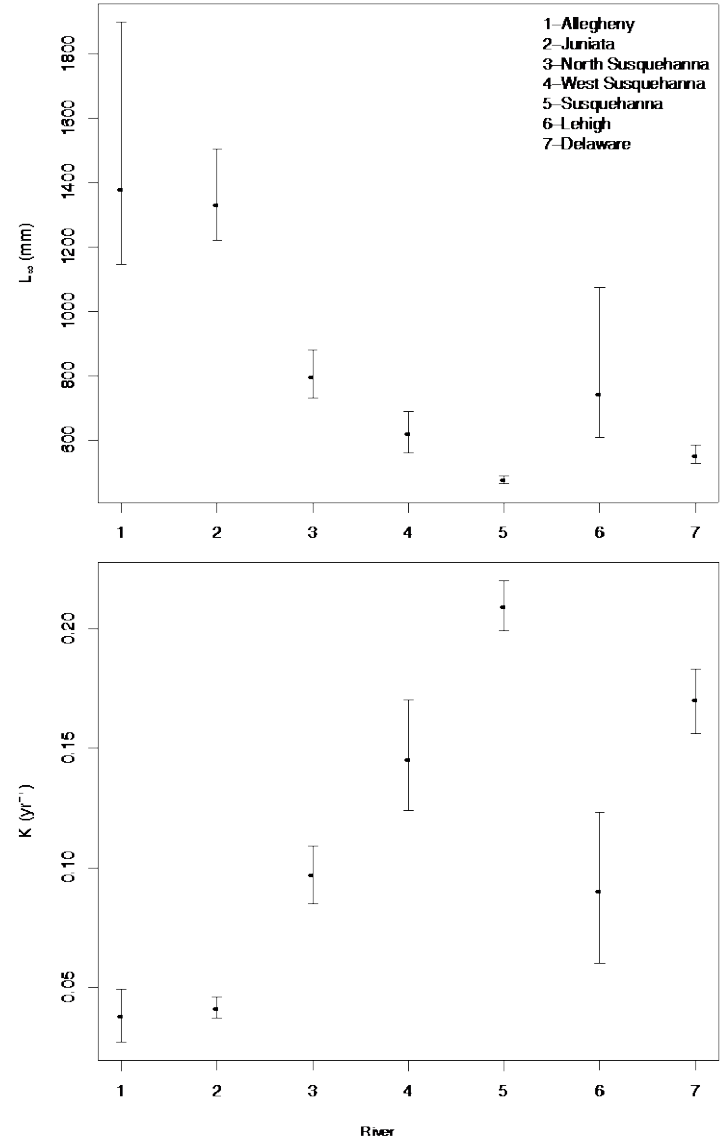
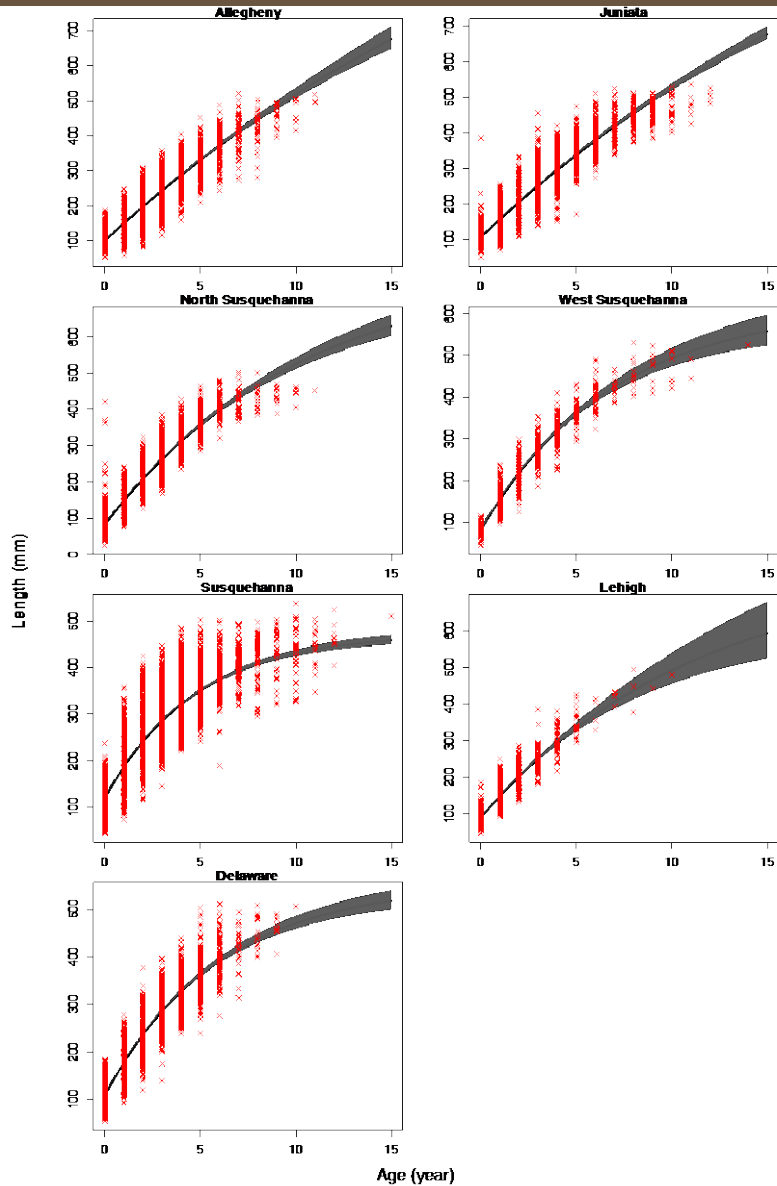


- Forecast population for 100 years (Juniata & Susquehanna)
 - Initialized with estimated 2013 population
 - Proportional stock density (PSD) → lower, better

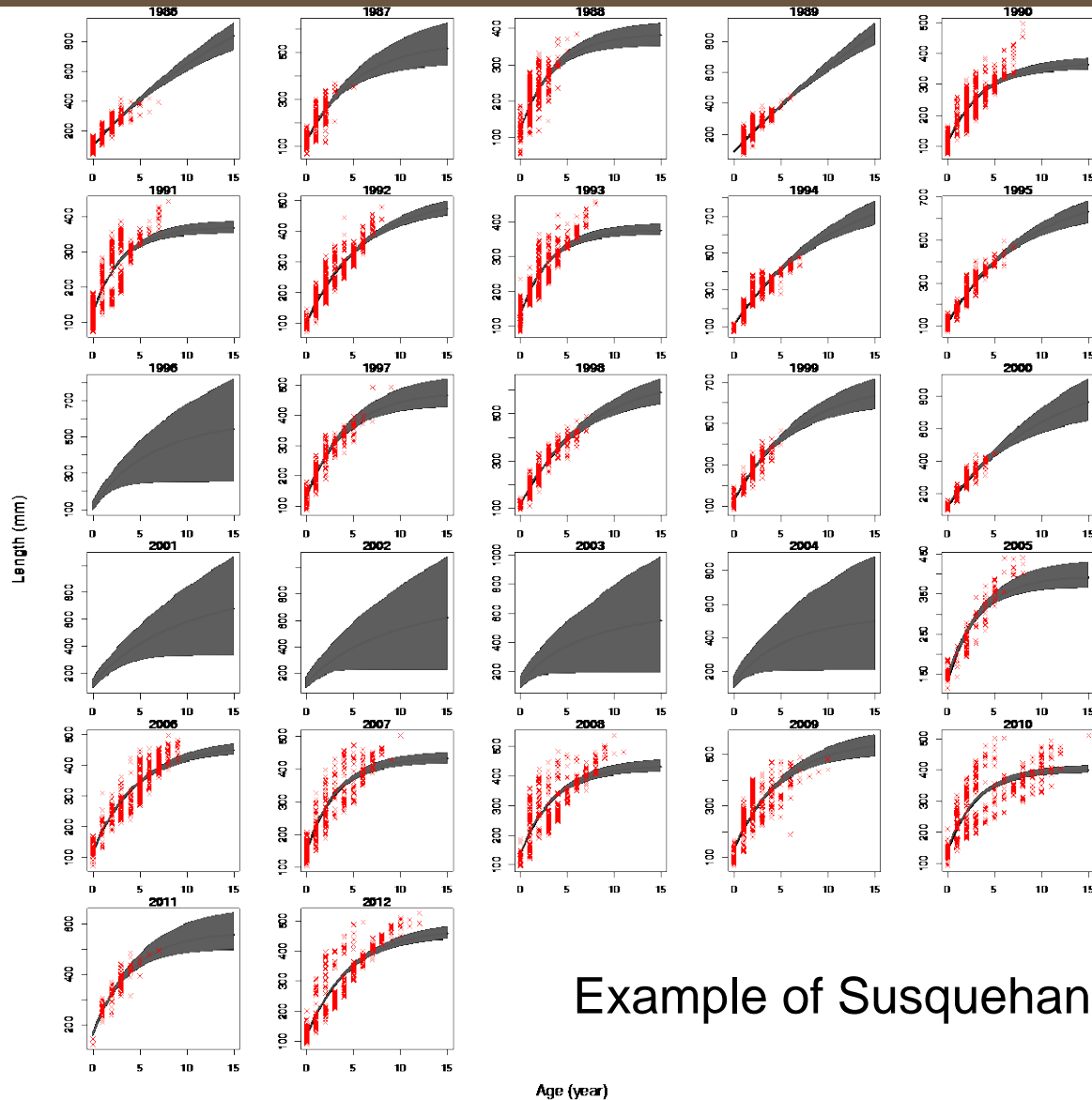
$$PSD(\%) = \frac{\text{number of fish} > 300 \text{ mm, i.e., in the last two length groups}}{\text{number of fish} > 175 \text{ mm, i.e., in the last four length groups}} \times 100$$

- Probability that PSD = 40-70% → balanced population

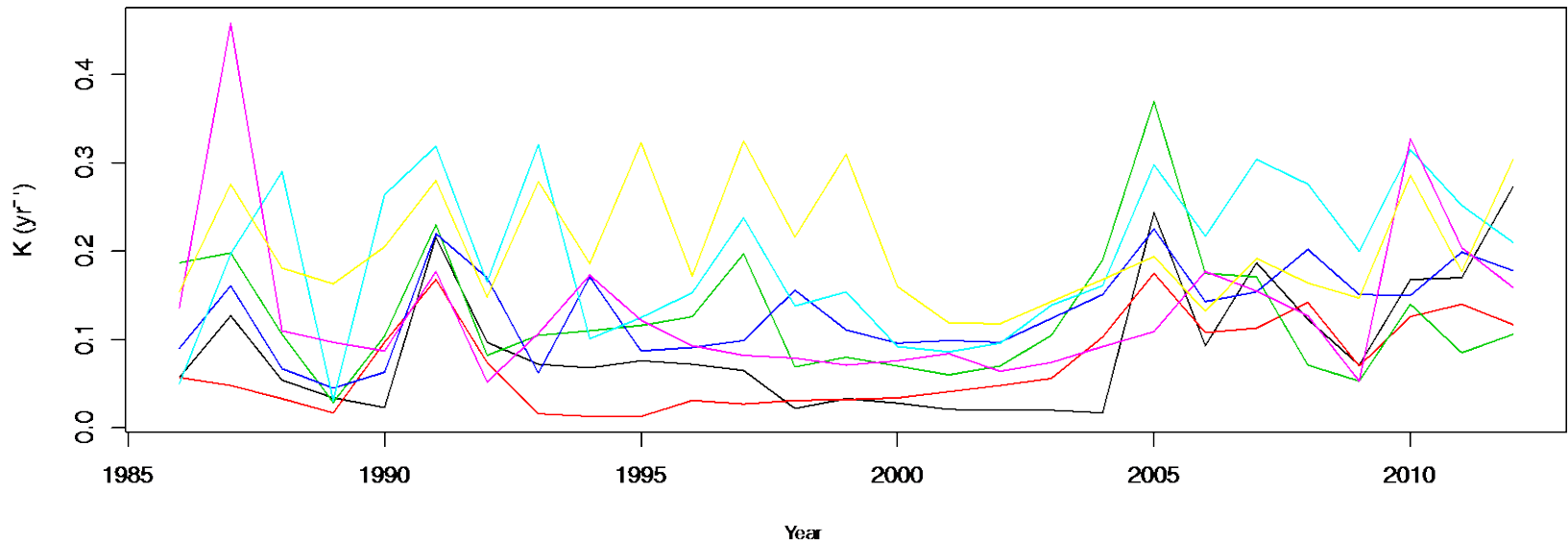
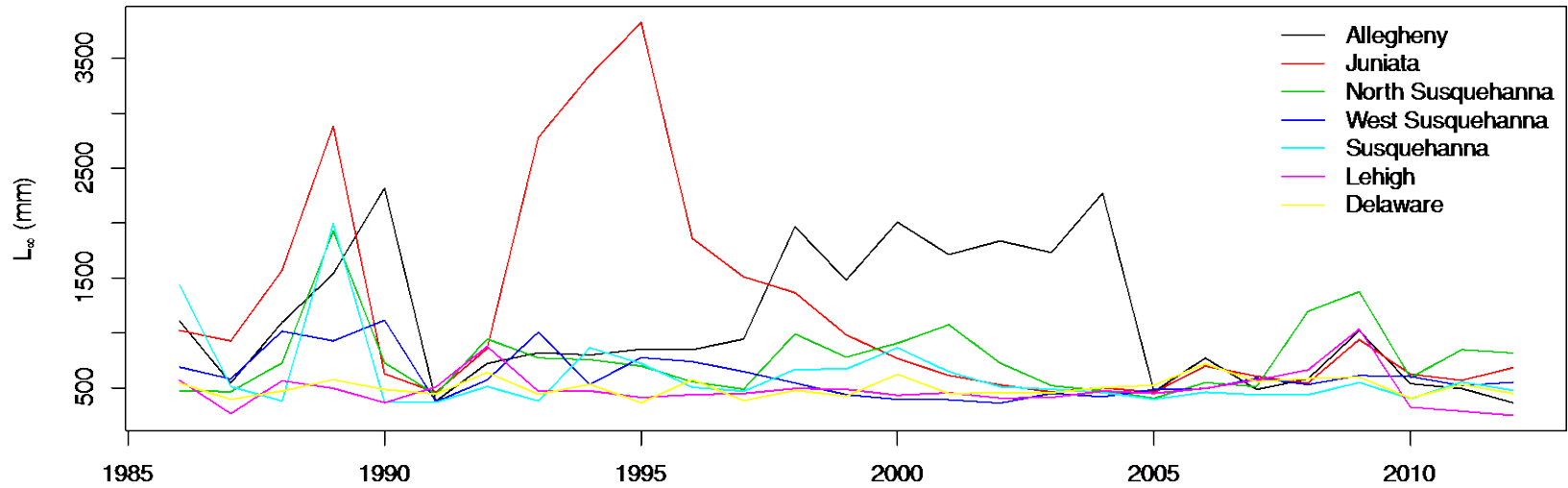
Estimated growth: spatial variation



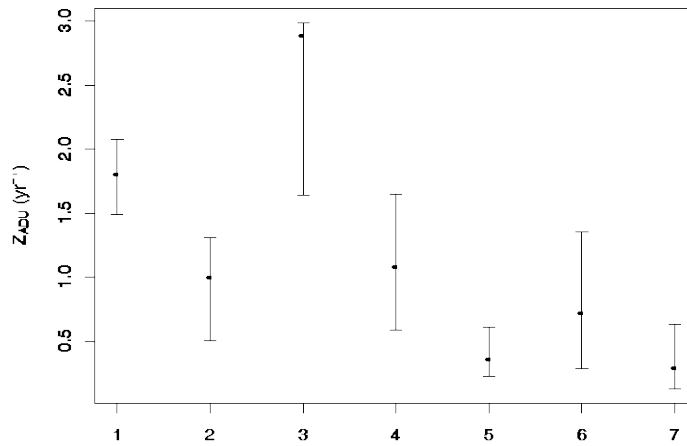
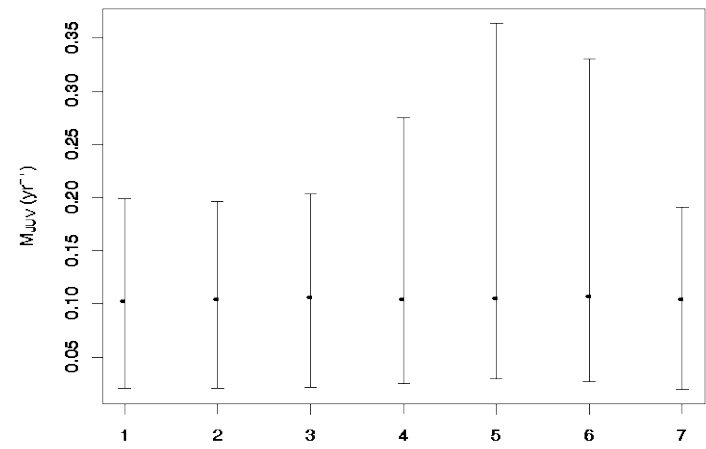
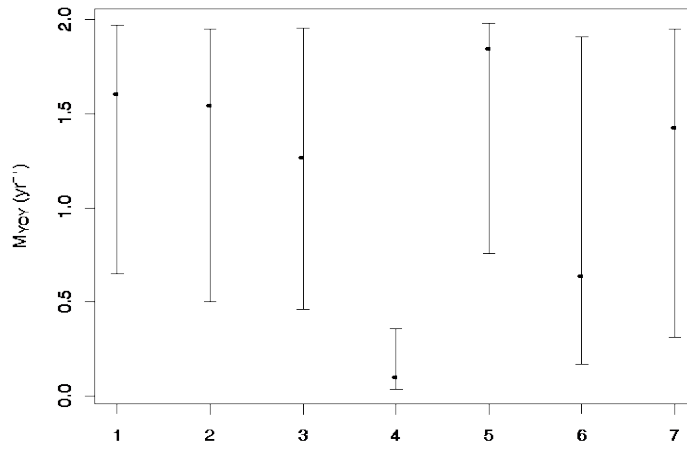
Estimated growth: temporal variation



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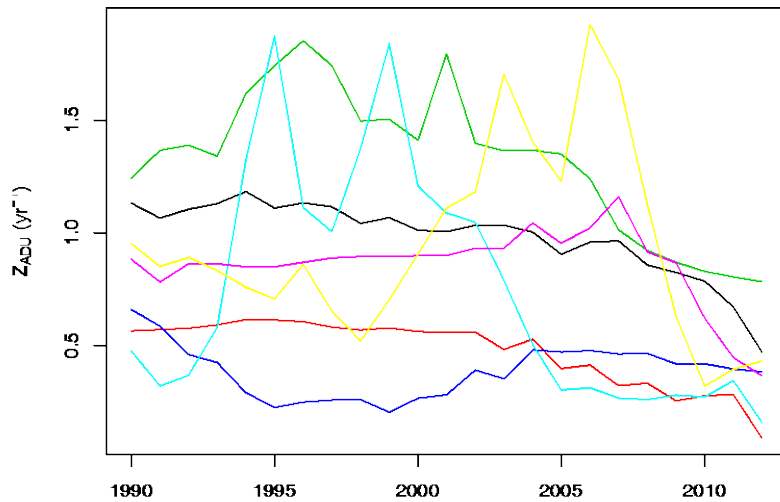
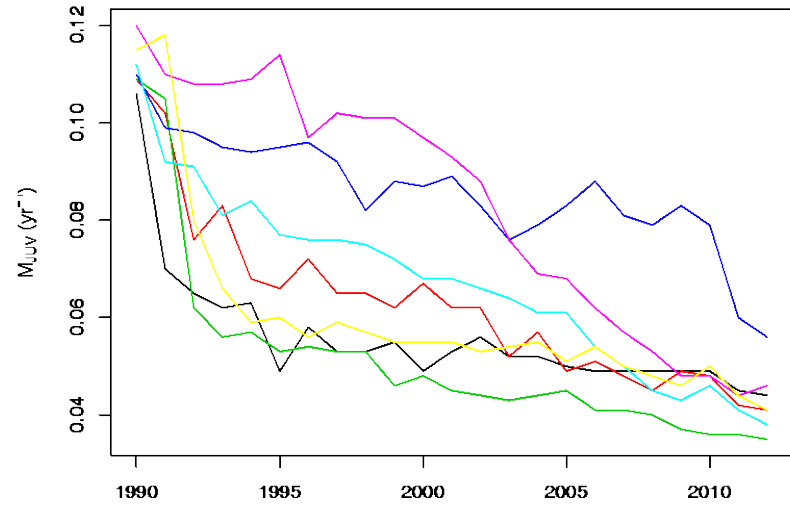
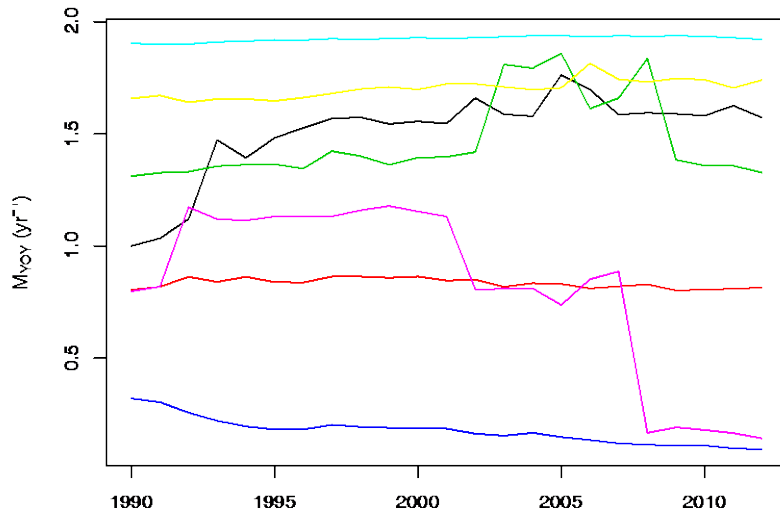
Estimated mortalities: spatial variation



River

- 1-Allegheny
- 2-Juniata
- 3-North Susquehanna
- 4-West Susquehanna
- 5-Susquehanna
- 6-Lehigh
- 7-Delaware

Estimated mortalities: temporal variation

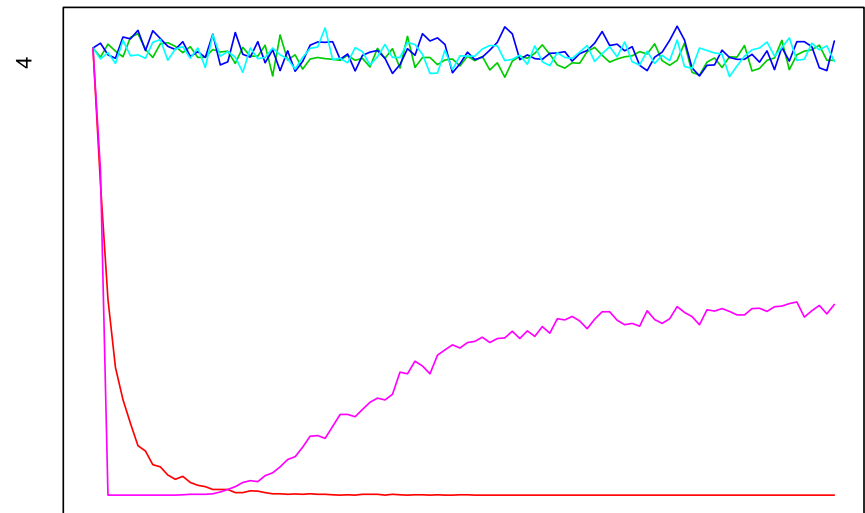


- Allegheny
- Juniata
- North Susquehanna
- West Susquehanna
- Susquehanna
- Lehigh
- Delaware

EDC impacts: simulation

Juniata River

Susquehanna River



Conclusions

- Smallmouth bass
 - Growth and mortalities vary spatially and temporally
 - EDC impacts through growth and reproduction could be more dramatic than through natural mortality in our simulated population
 - Rivers could respond to EDC impacts differently
- A modeling framework
 - Stock assessment for data-poor freshwater fisheries
 - EDC impacts at population level for Chesapeake Bay watershed

Linkage to EDC risk assessment

Growth analysis

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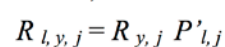
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$$SSN_{y,j} = \sum_l N_{l,y,j} g_l$$



$$R_{l,y,j} = R_{y,j} P'_{l,j}$$



Fit young-of-year CPE data $\iff I'_{y,j} = (q'_j R_{y,j}) \exp(\varepsilon_{I',y,j}); \varepsilon_{I',y,j} \sim N(0, \sigma_{I',j}^2)$

$K = f(\text{EDC type, concentration, ...})$

$Z = f(\text{EDC type, concentration, ...})$

$a = f(\text{EDC type, concentration, ...})$

...

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